



ESOGÜ Mathematics and Computer Sciences COURSE INFORMATION FORM

SEMESTER	Spring
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COURSE CODE	821618012	COURSE NAME	Non-Euclidean Geometries II
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SEMESTER	WEEKLY COURSE PERIOD			COURSE OF			
	Theory	Practice	Labratory	Credit	ECTS	TYPE	LANGUAGE
8	2	2	0	3	5	COMPULSORY (X) ELECTIVE ()	Turkish

COURSE CATAGORY			
Mathematics	Computer	Social Sciences	
X			

ASSESSMENT CRITERIA			
	Evaluation Type	Quantity	%
MID-TERM	1st Mid-Term	1	40
	2nd Mid-Term		
	Quiz		
	Homework		
	Project		
	Report		
	Others (.....)		
FINAL EXAM		1	60
PREREQUIEITE(S)	None		
COURSE DESCRIPTION	Axiomatic Systems, Euclidean Axioms, Non-Euclidean Geometries, Taxicab Plane Geometry.		
COURSE OBJECTIVES	The main of the course is to introduce the concepts and techniques involved in the basic topics listed in this lecture and to develop skills in applying those concepts and techniques to the solution of problems. Also, to enable them to have knowledge about Euclidean and non-Euclidean geometries.		
ADDITIVE OF COURSE TO APPLY PROFESSIONAL EDUATION	Gain analytical thinking and problem solving ability.		
COURSE OUTCOMES	The aim of this course is to teach thinking with transformations in geometry and to show how new geometries or systems are obtainable with using transformation.		
TEXTBOOK	1) Geometry: A Metric Approach with Models (Undergraduate Texts in Mathematics), Richard S. Millman, George D. Parker 2) Taxicab Geometry: An Adventure in Non-Euclidean Geometry, Eugene F. Krause		
OTHER REFERENCES	Transformation Geometry, George E. Martin.		
TOOLS AND EQUIPMENTS REQUIRED	None		

COURSE SYLLABUS

WEEK	TOPICS
1	Hyperbola in Taxicab Plane Geometry
2	Hyperbola in Taxicab Plane Geometry
3	Parabola in Taxicab Plane Geometry
4	Parabola in Taxicab Plane Geometry
5	Distance of a Point to Line in Maximum Plane Geometry
6	Circle in Maximum Plane Geometry
7	Ellipse in Maximum Plane Geometry
8	Hyperbola in Maximum Plane Geometry
9	Parabola in Maximum Plane Geometry
10	Taxicab Versions of Some Theorems in Euclidean Plane Geometry
11	Taxicab Versions of Some Theorems in Euclidean Plane Geometry
12	Maximum Versions of Some Theorems in Euclidean Plane Geometry
13	Maximum Versions of Some Theorems in Euclidean Plane Geometry
14	Article Writing with Obtained Results
15,16	Final Exam

NO	PROGRAM OUTCOMES	3	2	1
1	The ability to apply knowledges of Mathematics - Computer,	X		
2	To have sufficient theoretical and practical knowledge of Mathematics at international level,	X		
3	The ability of describing, modelling and solving of mathematical problems at Mathematics and related subjects,	X		
4	The skill to solve and design a problem process in accordance with a defined target,	X		
5	Skills to analyze data, interpret and apply to other datum and using these data on computer,		X	
6	The skill to use the modern techniques and computational tools needed for mathematical applications,		X	
7	The skill to make team work within the discipline and interdisciplinary,	X		
8	The ability to improve oneself by following the developments on other modern, scientific and technological subjects as well as Mathematics - Computer,		X	
9	The skill to communicate orally and in written way, in a clear and concise manner by having individual work skills and ability to independently decide and analytical thinking,	X		
10	The skill to have professional and ethical responsibility,	X		
11	The skill to have consciousness for quality issues and scientific research,		X	
12	The skill to be sensitive to environmental issues related with problems and development of living area and consistent in the social relations,			X
13	Ability to solve problems in the working life faced to find an appropriate algorithms via mathematical modeling and to write computer programs,		X	
14	The skill to developed design of software systems at different complex levels,			X
15	The credence of necessity of life-long learning and ability to apply the formation long-life learning.		X	

1:None. 2:Partially contribution. 3: Completely contribution.

Instructor(s): Ass. Prof. Dr. Temel Ermiş

Signature:

Date: